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Ranjbar-Motlagh, Alireza (IR-SHAR)

Poincaré inequality for abstract spaces. (English summary)

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Summary: “The Poincaré inequality is generalised to metric-measure spaces which support a strong version of the doubling condition. This generalises the Poincaré inequality for manifolds whose Ricci curvature is bounded from below and metric-measure spaces which satisfy the measure contraction property.” *Alberto Fiorenza*

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Note: This list reflects references listed in the original paper as accurately as possible with no attempt to correct errors.